

Course: HS237C, Spring 2005

Instructor: Ettner

Lecture: Multi-level models

NOTE: Copyright (c) 1999-2001 by SAS Institute Inc., Cary, NC, USA.

NOTE: SAS (r) Proprietary Software Release 8.2 (TS2M0)

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NOTE: This session is executing on the WIN\_98 platform.

NOTE: SAS initialization used:

real time 3.74 seconds

1 libname ssd "c:\simulation\" ;

NOTE: Libref SSD was successfully assigned as follows:

Engine: V8

Physical Name: c:\simulation

2

3 /\*\*\*\*\*

4

5 Programmer(s): Susan Ettner and Alfonso Ang, based on GAUSS code written by Ted Thompson and

5 ! with assistance from Mark Stevens and Neil Steers.

6

7 Date: June 21, 2004

8

9 This program estimates multi-level logistic regressions using PROC GLMMIX in SAS.

It outputs

9 ! the estimates to PROC IML to get the associated relative risks and simulated confidence

9 ! intervals.

10

11 Notes:

12

13 The program is currently set up to run only one outcome at a time.

14

15 The dataset is assumed to contain complete data for all covariates; any imputation should

15 ! have been performed previously.

16

17 All categorical variables need to have already been turned into a series of mutually  
17 ! exclusive and exhaustive dichotomous indicators, as no class statements are used for  
the

17 ! covariates.

18

19 The first part of the program needs to be modified by the user.

20

21 The PROC GLMMIX output should be ignored, as the degrees of freedom may not always  
be correct

21 ! for the cluster-level covariates.

22

23 The predictions are calculated at zero values for all random effects.

24

25 \*\*\*\*\*/;

26

27 \* To run this program, you need to define global variables, as follows;

28 \* iter is the number of simulations desired, typically 10,000;

29

Course: HS237C, Spring 2005

Instructor: Ettner

Lecture: Multi-level models

```
30 %let dataset      =  ssd.test2;
31 %let outcome      =  lpa;
32 %let regs         =  sex_r age latino;
33 %let tit1         =  Dependent Variable is Lipid Profile Assessment;
34 %let tit2         =  Configuration 0 is female, configuration 1 is male;
35 %let tit3         =  Predicted probabilities, difference in comparing men to women;

36 %let tit4         =  Predicted probabilities and RR;
37 %let alpha        =  .05;
38 %let id1          =  ohealthplan;
39 %let id2          =  cluster;
40 %let iter         =  200;
41
42
43 /* If you want to set a fixed seed in order to replicate or compare results, you
need to give
43 ! a value >0 for the following global variable.  If you specify a value <=0, then the
seed
43 ! will be generated from the system clock instead */;
44 %let seed         =  1;
45
46 /* Note that the degrees of freedom used by glimmix for the multi-level models will
be
46 ! incorrect.  We set method to "Kenward and Roger" to let SAS approximate the degrees
of
46 ! freedom */;
47
48 * The libnames and options can be modified if desired;
49
50 libname ssd '.';
NOTE: Libref SSD was successfully assigned as follows:
      Engine:          V8
      Physical Name:  C:\simulation
51 libname library '.';
NOTE: Libname LIBRARY refers to the same physical library as SSD.
NOTE: Libref LIBRARY was successfully assigned as follows:
      Engine:          V8
      Physical Name:  C:\simulation
52
53 options ps=64 ls=64;
54 options nofmterr;
55
56
57 /* The SAS macro glmm800 is needed to run glimmix.  The path
57 ! needs to be modified if this macro is not in the same
57 ! directory */;
58
59 %inc 'C:\simulation\glmm800.sas' /nosource ;
1775
1776 * This code makes sure that only observations with
1776! complete data for the dependent variable are retained;
1777 * It does not need to be modified;
1778
1779 data completedata;
1780 set &dataset;
1781 array colmiss[*] &regs &outcome;
1782 do i=1 to dim(colmiss);
```

Course: HS237C, Spring 2005

Instructor: Ettner

Lecture: Multi-level models

```
1783     if colmiss[i]= . then delete;
1784     one=1;
1785     end;
1786     run;
```

NOTE: There were 2147 observations read from the data set  
SSD.TEST2.

NOTE: The data set WORK.COMPLETEDATA has 980 observations and 9  
variables.

NOTE: DATA statement used:  
real time 0.26 seconds

```
1787  /*****
1787! *****/
1788
1789  The following code needs to be modified to construct the
1789! two datasets with the configurations of covariate values
1789! that you wish to compare in calculating relative risks or
1789! differences in predicted probabilities.
1790
1791  *****/
1791! *****/;
1792
1793  data data0;
1794     set completedata;
1795     keep one &regs;
1796     * ADD CODE HERE FOR THE FIRST CONFIGURATION OF
1796! COVARIATE VALUES;
1797     sex_r=0;
1798  run;
```

NOTE: There were 980 observations read from the data set  
WORK.COMPLETEDATA.

NOTE: The data set WORK.DATA0 has 980 observations and 4  
variables.

NOTE: DATA statement used:  
real time 0.05 seconds

```
1799
1800  data data1;
1801     set completedata;
1802     keep one &regs;
1803     * ADD CODE HERE FOR THE SECOND CONFIGURATION OF
1803! COVARIATE VALUES;
1804     sex_r=1;
1805  run;
```

NOTE: There were 980 observations read from the data set  
WORK.COMPLETEDATA.

NOTE: The data set WORK.DATA1 has 980 observations and 4  
variables.

NOTE: DATA statement used:  
real time 0.04 seconds

Course: HS237C, Spring 2005

Instructor: Ettner

Lecture: Multi-level models

```
1806
1807 /*****
1807! *****/
1808
1809 The remainder of the code creates the macro to run the
1809! multi-level logit regression with relative risks and runs
1809! the macro for the dependent variable specified above. No
1809! modification is necessary past this point.
1810
1811 *****/
1811! *****/;
1812
1813 %macro multilevel_logit;
1814
1815 %glimmix(data=completedata,
1816   procopt=%str(order=internal covtest),
1817   stmts=%str(
1818     class &id2 &id1;
1819     model &outcome=&regs / ddfm=kenwardroger covb solution;
1820     random intercept &id2/ subject=&id1 ;
1821     ods output Covb=mixcovb;
1822   ),
1823   error=binomial, link=logit
1824 );
1825 run;
1826
1827 *****/;
1828
1829 * Get initial seed value. If seed<=0, then generate seed
1830! from the system clock;
1831
1832 data _null_;
1833   if &seed le 0 then do;
1834     seed = int(time()); /* get clock time in integer
1834! seconds */
1835     put seed=;
1836     call symput('seed',left(put(seed,12.))); /* store
1836! seed as macro variable */
1837   end;
1838 run;
1839
1840 * Use matrix mode to perform the rest of the calculations;
1841
1842 proc iml;
1843
1844 call symput ('n',left(char(&iter)));
1845
1846 * Create design matrices for the two configurations of
1846! covariate values being compared;
1847
1848 use data0;
1849   read all var {one &regs} into x0;
1850
1851 * Get number of observations;
1852 numobs = nrow(x0);
1853 call symput ('numobs',char(numobs));
```

Course: HS237C, Spring 2005

Instructor: Ettner

Lecture: Multi-level models

```
1854
1855
1856 use data1;
1857     read all var {one &regs} into x1;
1858
1859 * Create vector of coefficient estimates;
1860
1861 use _soln;
1862     * Read in column corresponding to coefficient
1862! estimates;
1863     read all var {estimate} into beta;
1864     * Read in column corresponding to SEs;
1865     read all var { stderr } into stderr;
1866     * Read in column corresponding to t-statistics;
1867     read all var { tvalue } into tstat;
1868     * Read in column corresponding to p-values;
1869     read all var { probt } into pvalue;
1870     * Get the number of parameter estimates and create
1870! global for it;
1871     k = nrow(beta);
1872     numobs = nrow(x0);
1873
1874 call symput ('numpar',left(char(k)));
1875 %let colg = col&numpar;
1876
1877 * Create variance-covariance matrix;
1878 use mixcovb;
1879
1880 read all var("coll":"&colg") into varcov;
1881 se=sqrt(vecdiag(varcov));
1882
1883 * Print out sample size, #covariates, coefficients, SEs
1883! and p-values as a test;
1884
1885 print "Number of observations in the sample";
1886 print numobs;
1887 print "";
1888
1889 print "Number of covariates in the model including the
1889! intercept";
1890 print k;
1891 print "";
1892
1893 stats={Coef StdErr TStat PValue};
1894 varname={one &regs};
1895
1896 Original_Estimate=beta||stderr||tstat||pvalue;
1897
1898 print "Estimated coefficients, standard errors,
1898! t-statistics and p-values";
1899 print Original_Estimate[format=8.4 rowname=varname
1899! colname=stats];
1900 print "" ;
1901
1902
1903 * Create vector of zeros with the same number of rows as
1903! desired simulations;
```

Course: HS237C, Spring 2005

Instructor: Ettner

Lecture: Multi-level models

```
1904 * J(&n,1,0) creates a vector with &n rows and 1 column;
1905 * All values in these vectors are initialized to 0;
1906
1907 simprob0      = J(&n, 1, 0);
1908 simprobl      = J(&n, 1, 0);
1909 simdiff       = J(&n, 1, 0);
1910 simrr         = J(&n, 1, 0);
1911
1912 * Figure out lower and upper cutoffs for empirical
1912! confidence intervals;
1913 * ceil rounds up;
1914
1915 lowern = ceil(&alpha/2 * (&n +1)) ;
1916 uppern = ceil( &n +1 - lowern );
1917
1918 * Create an &n x k matrix of simulated values called bstar
1918! ;
1919 * Simulated values are random draws from a N(beta, varcov)
1919! distribution;
1920 * The bstar matrix is &n rows of beta coefficients with
1920! random noise added;
1921 * Note that &n is the number of simulations, not the
1921! number of observations;
1922
1923 seed = &seed;
1924 l     = t(root(varcov))           /* calculate
1924! cholesky root of VCV matrix */;
1925 z     = normal(j(&numparm,&n,&seed)) /* generate
1925! nvars*samplesize normals */;
1926 x     = l*z                       /* premultiply
1926! by cholesky root */;
1927 x     = repeat(beta,1,&n)+x       /* add in the
1927! means */;
1928 bstar = t(x)                     /* transpose to
1928! get the final vector */;
1929
1930
1931 * Check dimensions of bstar;
1932
1933 numsim = nrow(bstar);
1934 numparm = ncol(bstar);
1935
1936 print "Number of Simulations=";
1937 print numsim;
1938 print "";
1939 print "Number of Parameter Estimates=";
1940 print numparm;
1941
1942 */ A loop is run &n times to fill in the zero vectors with
1942! the desired statistics. Predicted probabilities are
1942! calculated using the logit formula, multiplying each
1942! configuration of covariate values by the ith row of
1943 simulated beta coefficients. Note that
1943!  $\exp(xb)/[1+\exp(xb)] = 1/1+\exp(-xb)$ .
1944 */;
1945
1946 do j = 1 to &n;
```

Course: HS237C, Spring 2005

Instructor: Ettner

Lecture: Multi-level models

```
1947
1948 * First calculate estimates of interest for each
1948! individual;
1949 p0      = 1 / ( 1 + exp( -x0*bstar[j,]` ) );
1950 p1      = 1 / ( 1 + exp( -x1*bstar[j,]` ) );
1951 p1_p0   = p1 - p0;
1952 rat     = p1 / p0;
1953
1954 * Then take averages over the entire sample;
1955 simprob0[j,] = p0[+,] / &numobs;
1956 simprob1[j,] = p1[+,] / &numobs;
1957 simdiff[j,]  = p1_p0[+,] / &numobs;
1958 simrr[j,]    = rat[+,] / &numobs;
1959
1960 end;
1961
1962 * Get the predicted risk and CI for first configuration of
1962! covariate values;
1963 * Using the original coefficient estimates;
1964
1965 * predicted risk for each individual and then averaged
1965! over sample;
1966 xbeta = -x0*beta ;
1967 risk0 = 1 / ( 1 + exp( xbeta ) );
1968 mrisk0 = risk0[+,] / &numobs;
1969
1970 * sort the simulations using the rank function;
1971 * rank creates vector with the ranks of the corresponding
1971! elements;
1972
1973 tsimprb0 = t(simprob0);
1974 sprob0 = tsimprb0;
1975 tsimprb0[,rank(tsimprb0)] = sprob0;
1976
1977 * pick off simulation corresponding to lower cutoff;
1978 lower0= tsimprb0[,lowern];
1979
1980 * pick off simulation corresponding to upper cutoff;
1981 upper0= tsimprb0[,uppern];
1982
1983 * Get the predicted risk and CI for second configuration
1983! of covariate values;
1984 * Using the original coefficient estimates;
1985
1986 * predicted risk for each individual and then averaged
1986! over sample;
1987 risk1 = 1 / ( 1 + exp( -x1*beta ) );
1988
1989 mrisk1 = risk1[+,] / &numobs;
1990
1991 * sort the simulations using the rank function;
1992 * rank creates vector with the ranks of the corresponding
1992! elements;
1993
1994 tsimprb1 = t(simprob1);
1995 sprob1 = tsimprb1;
1996 tsimprb1[,rank(tsimprb1)] = sprob1;
```

Course: HS237C, Spring 2005

Instructor: Ettner

Lecture: Multi-level models

```
1997
1998 * pick off simulation corresponding to lower cutoff;
1999 lower1= tsimprb1[,lowern];
2000
2001 * pick off simulation corresponding to upper cutoff;
2002 upper1= tsimprb1[,uppern];
2003
2004 * Get the difference in predicted risk and CI;
2005
2006 * predicted difference for each individual and then
2006! averaged over sample;
2007 diff = risk1 - risk0;
2008 mdiff = diff[+,:] / &numobs;
2009
2010 * sort the simulations using the rank function;
2011 * rank creates vector with the ranks of the corresponding
2011! elements;
2012
2013 tsimdiff = t(simdiff);
2014 sdiff = tsimdiff;
2015 tsimdiff[,rank(tsimdiff)] = sdiff;
2016
2017 * pick off simulation corresponding to lower cutoff;
2018 lowerdiff= tsimdiff[,lowern];
2019
2020 * pick off simulation corresponding to upper cutoff;
2021 upperdiff= tsimdiff[,uppern];
2022
2023 * Get the relative risk and CI;
2024
2025 * predicted RR for each individual and then averaged over
2025! sample;
2026 rr = risk1 / risk0;
2027 mrr = rr[+,:] / &numobs;
2028
2029 * sort the simulations using the rank function;
2030 * rank creates vector with the ranks of the corresponding
2030! elements;
2031
2032 tsimrr = t(simrr);
2033 srr = tsimrr;
2034 tsimrr[,rank(tsimrr)] = srr;
2035
2036 * pick off simulation corresponding to lower cutoff;
2037 lowerrr= tsimrr[,lowern];
2038
2039 * pick off simulation corresponding to upper cutoff;
2040 upperrr= tsimrr[,uppern];
2041
2042 * Print the output with labels;
2043
2044 stats1={LowerCL Risk0 UpperCL};
2045 stats2={LowerCL Risk1 UpperCL};
2046 stats3={LowerCL RiskDiff UpperCL};
2047 stats4={LowerCL RR UpperCL};
2048
2049 mean_risk_0=lower0||mrisk0||upper0;
```

Course: HS237C, Spring 2005

Instructor: Ettner

Lecture: Multi-level models

```
2050 mean_risk_1=lower1||mrisk1||upper1;
2051 mean_diff_in_risk=lowerdiff||mdiff||upperdiff;
2052 mean_relative_risk=lowerrr||mrr||upperrr;
2053
2054 print "&tit1";
2055 print "&tit2";
2056 print "&tit3";
2057 print "&tit4";
2058
2059 print mean_risk_0[format=10.2 colname=stats1];
2060 print "";
2061
2062 print mean_risk_1[format=10.2 colname=stats2];
2063 print "";
2064
2065 print mean_diff_in_risk[format=10.2 colname=stats3];
2066 print "";
2067
2068 print mean_relative_risk[format=10.2 colname=stats4];
2069 print "";
2070
2071 * Exit SAS-IML;
2072
2073 quit;
2074
2075 %mend;
2076
2077 %multilevel_logit;
```

The GLIMMIX Macro

```
Data Set          : WORK.COMPLETEDATA
Error Distribution : BINOMIAL
Link Function     : LOGIT
Response Variable : LPA
```

GLIMMIX Iteration History

Iteration	Convergence criterion
1	0.1833921164
2	0.0720221664
3	0.0015557954
4	5.274373E-6
5	8.936321E-10

Output from final Proc Mixed run:

```
NOTE: DATA statement used:
      real time          0.04 seconds
```

NOTE: IML Ready

NOTE: Exiting IML.

NOTE: 225 workspace compresses.

```
NOTE: PROCEDURE IML used:
      real time          1.03 seconds
```

Course: HS237C, Spring 2005  
Instructor: Ettner  
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